

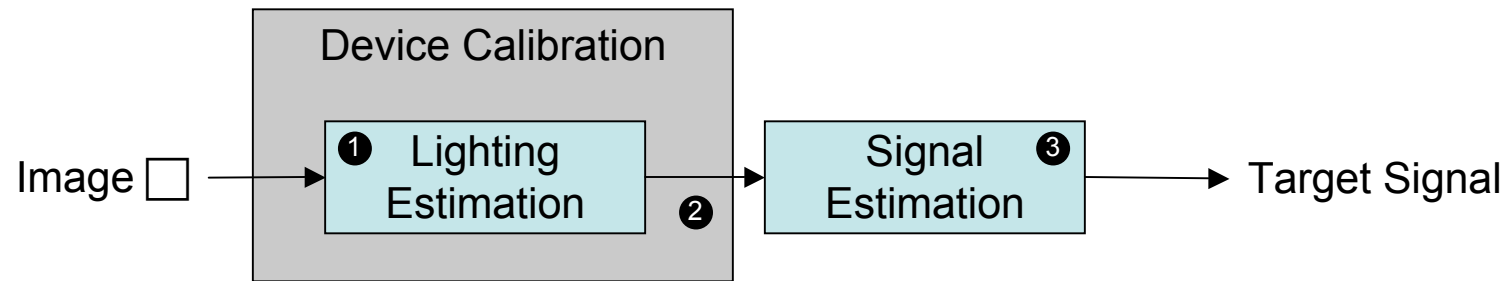
## Problem Statement: Measuring Moss Photosynthesis

- Some natural phenomena can be measured without harming the environment:
  - Temperature
  - Rainfall
  - Humidity
- Others, require destructive instrumentation:
  - CO<sub>2</sub> flux from single plant, meadow, or soil



The site at James Reserve where mosscam is located

# Process Overview



1. Estimate the incident illumination in the scene
2. Transform the image to be under a reference illuminant
3. Estimate the target signal

$$r_k = \int_w E(\lambda) S(\lambda) R_k(\lambda) d\lambda$$

- $r_k$  = response of the  $k$ th sensor
- $w$  = bandwidth of device
- $E(\lambda)$  = incident spectral power distribution
- $S(\lambda)$  = subject's relative spectral reflectance
- $R_k(\lambda)$  = the sensitivity of the  $k$ th sensor

## Device Calibration: Modeled Image Formation

$$r \approx \hat{E}(\lambda) \hat{S}(\lambda)^T R(\lambda)$$

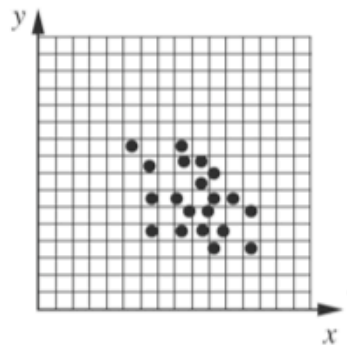
$$r \approx (\mathbf{B}_e w_e) (\mathbf{B}_s w_s)^T \mathbf{R}$$

- Discretize the bandwidth and rewrite in matrix notation
- Model  $E(\lambda)$  and  $S(\lambda)$  using functional PCA
- Results in 6 unknowns ( $w_e$  and  $w_s$ )

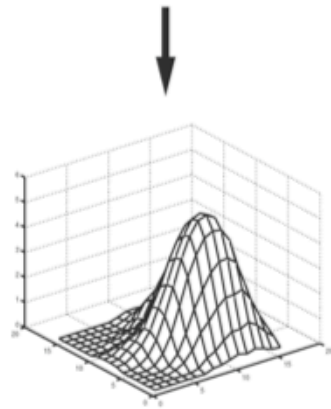
This system is under-constrained.  
Estimate the spectra in sequence.

# Device Calibration: Estimating Incident Illumination

## Color By Correlation (Finlayson et. al.)



(a)



(b)

|        |       |       |       |       |       |       |       |       |
|--------|-------|-------|-------|-------|-------|-------|-------|-------|
| x1, y1 | 0.1   | 0.0   | 0.7   | 0.1   | 0.0   | 0.0   | 0.0   | 0.9   |
| x1, y2 | 0.2   | 0.1   | 0.6   | 0.2   | 0.0   | 0.4   | 0.1   | 0.9   |
| x1, y3 | 0.2   | 0.1   | 0.5   | 0.4   | 0.0   | 0.4   | 0.1   | 0.7   |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| x1, yn | 0.6   | 0.3   | 0.3   | 0.9   | 0.2   | 0.6   | 0.1   | 0.0   |
| x2, y1 | 0.9   | 0.3   | 0.1   | 0.9   | 0.4   | 0.7   | 0.1   | 0.0   |
| x2, y2 | 0.4   | 0.3   | 0.1   | 0.7   | 0.2   | 0.5   | 0.2   | 0.0   |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| :      | :     | :     | :     | :     | :     | :     | :     | :     |
| xn, yn | 0.0   | 0.1   | 0.0   | 0.1   | 0.5   | 0.1   | 0.6   | 0.0   |
|        | ill 1 | ill 2 | ill 3 | ill 4 | ill 5 | ill 6 | ill 7 | ill 8 |

(c)

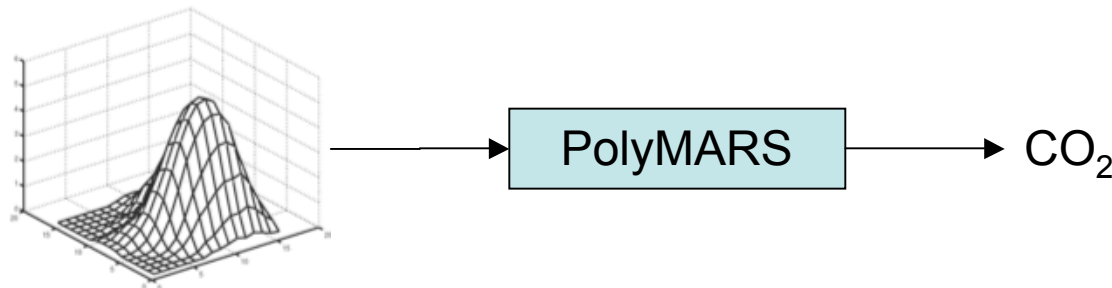
## Device Calibration: Lighting Transformation

$$\begin{bmatrix} E_1(\lambda_R)S(\lambda_R) \\ E_1(\lambda_G)S(\lambda_G) \\ E_1(\lambda_B)S(\lambda_B) \end{bmatrix} = T_{light} \begin{bmatrix} E_2(\lambda_R)S(\lambda_R) \\ E_2(\lambda_G)S(\lambda_G) \\ E_2(\lambda_B)S(\lambda_B) \end{bmatrix}$$

$$T_{light} = \begin{bmatrix} E_1(\lambda_R)/E_2(\lambda_R) & 0 & 0 \\ 0 & E_1(\lambda_G)/E_2(\lambda_G) & 0 \\ 0 & 0 & E_1(\lambda_B)/E_2(\lambda_B) \end{bmatrix}$$

- Given some  $E(\lambda)$  found previously, we can compute  $T_{light}$
- This assumes that  $R(\lambda) = \delta_k$   $k = \{R, G, B\}$
- Though unrealistic, this assumption has been shown to hold for cameras presented with “reasonable” light sources (like daylight)

- Unlike lighting estimation, we have less insight into the relationship between  $\text{CO}_2$  model and the image's color coordinates.
- Estimate the  $\text{CO}_2$  using non-linear regression
- Use multiple time-shifted versions of chromaticity coordinates as input





## Application: Measuring Moss Photosynthesis

Ecologists want to determine the effect of short summer rain events on the moss' ability to survive

- There are no available sensors
- Methods suggested by previously ecological studies have insufficient temporal resolution

*Tortula princeps*



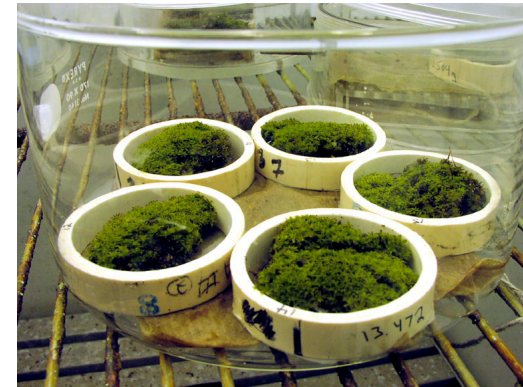
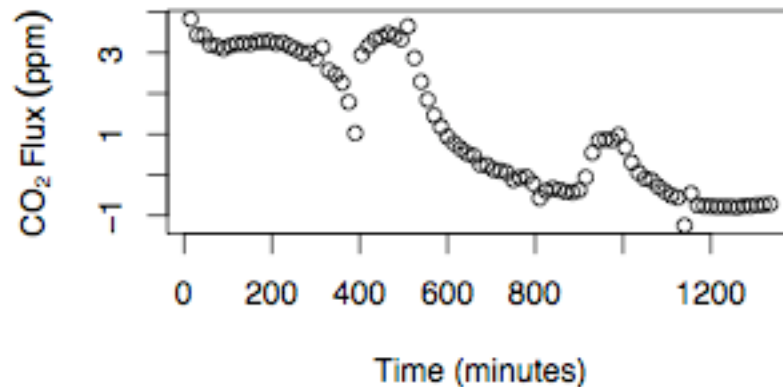
Photosynthesis begins to occur  
5 minutes after being hydrated



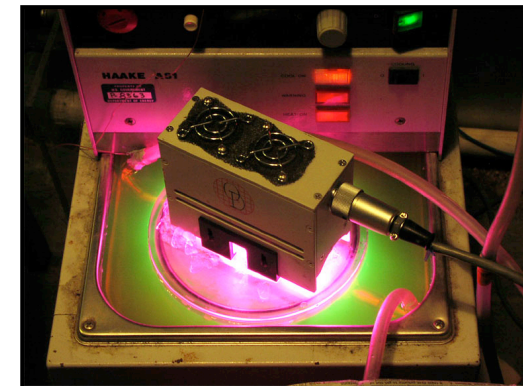
# Application: Measuring Moss Photosynthesis

## Lab Experimental Setup:

- Measured  $\text{CO}_2$  flux of the moss as it dries down over time
- Use these measurements to train our models



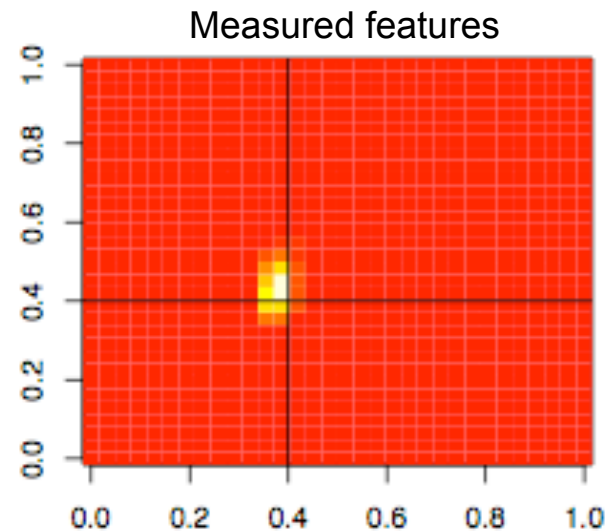
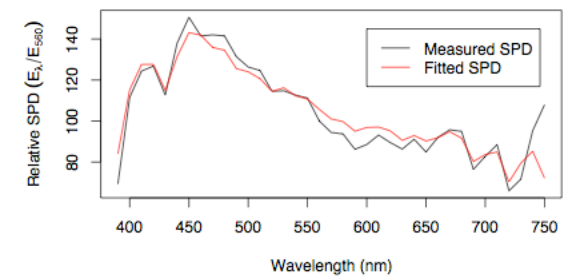
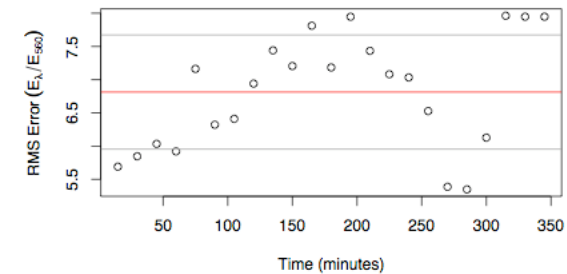
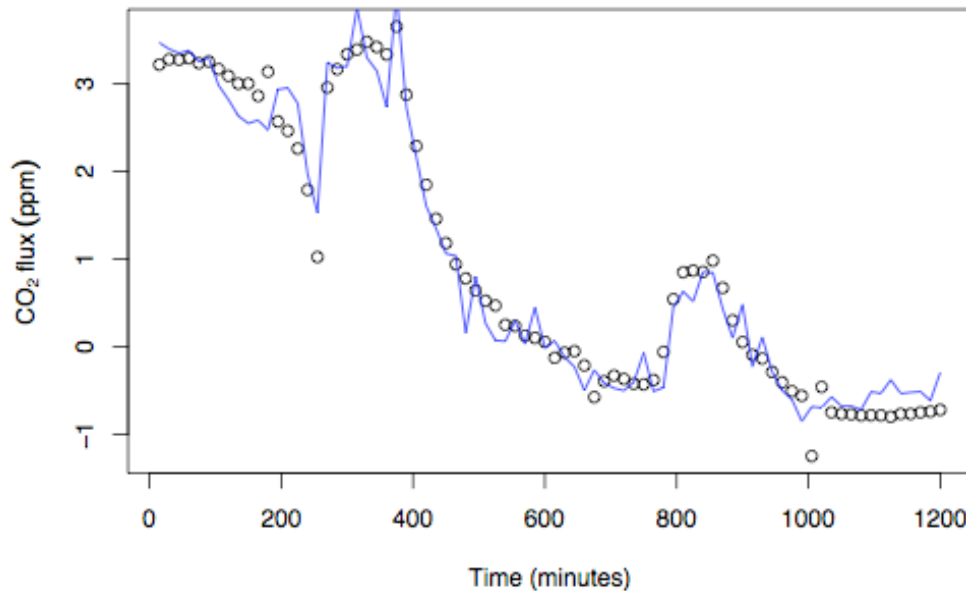
Moss in a temperature controlled chamber



Infrared gas analyzer

# Application: Measuring Moss Photosynthesis

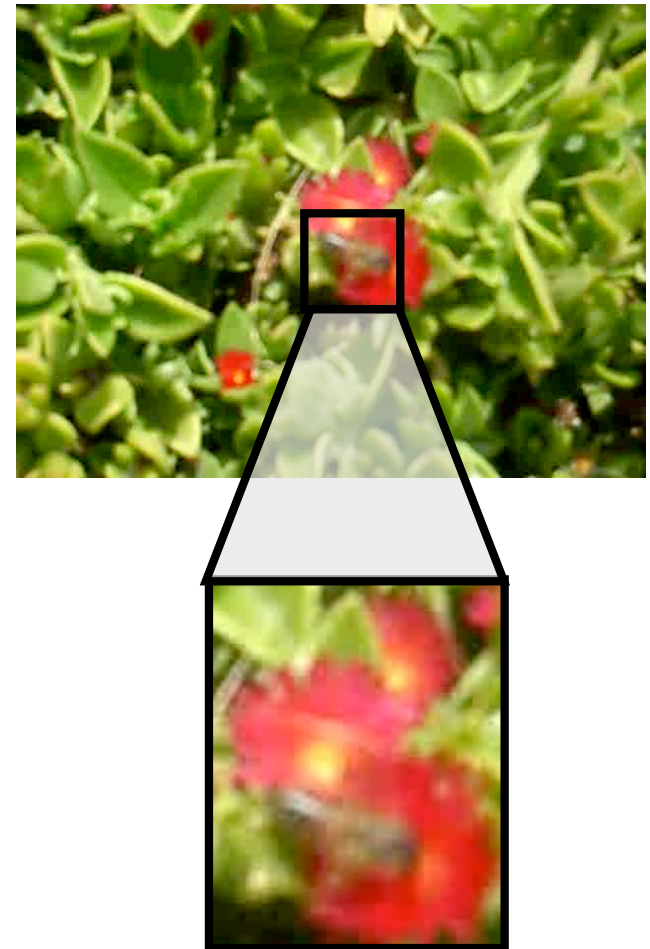
- Predict incident lighting
- “Register” images
- Use “registered” images to predict  $\text{CO}_2$  (below)



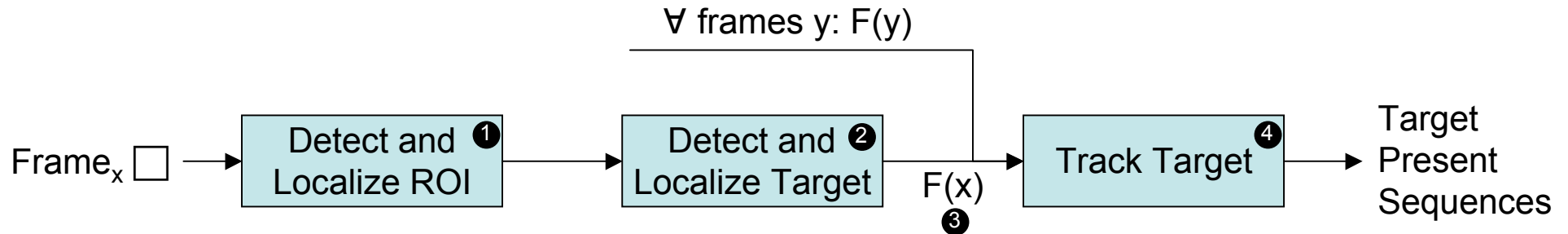
## Problem Statement: Tracking Pollinators

Biologists want to perform studies about pollinator behavior over lengthy periods of time

- There are no available sensors
- Currently data is acquired by physically watching flowers and counting pollinators



## Process Overview



1. Crop the image, leaving only the region of interest (ROI) remaining
2. Model the background to detect novel foreground objects
3. Locate most likely target, emit  $F(x)$ : target location and likelihood
4. Track target through a sequence of frames

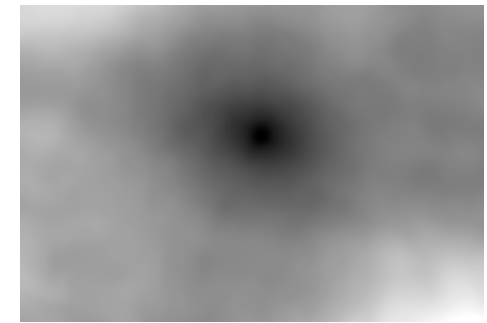
# Application: Tracking Pollinators

- Step 1: Automatically “register” the images using template matching



Convolve the template image with the target image:

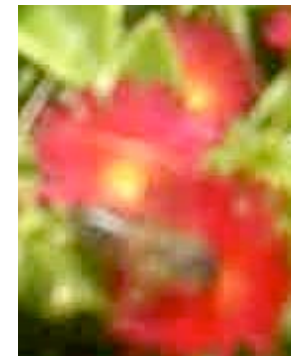
$$J(r,c) = [I * h](r,c) = \sum_{\rho=-\infty}^{\infty} \sum_{\kappa=-\infty}^{\infty} I(r-\rho, c-\kappa) h(\rho, \kappa) =$$



Instead of inner product, measure normalized L2 Distance:

$$R(x,y) = \frac{\sum_{x',y'} (T(x',y') - I(x+x',y+y'))^2}{\sqrt{\sum_{x',y'} T(x',y')^2 \cdot \sum_{x',y'} I(x+x',y+y')^2}}$$

Find minimum value, and extract that as the best match  $\Rightarrow$



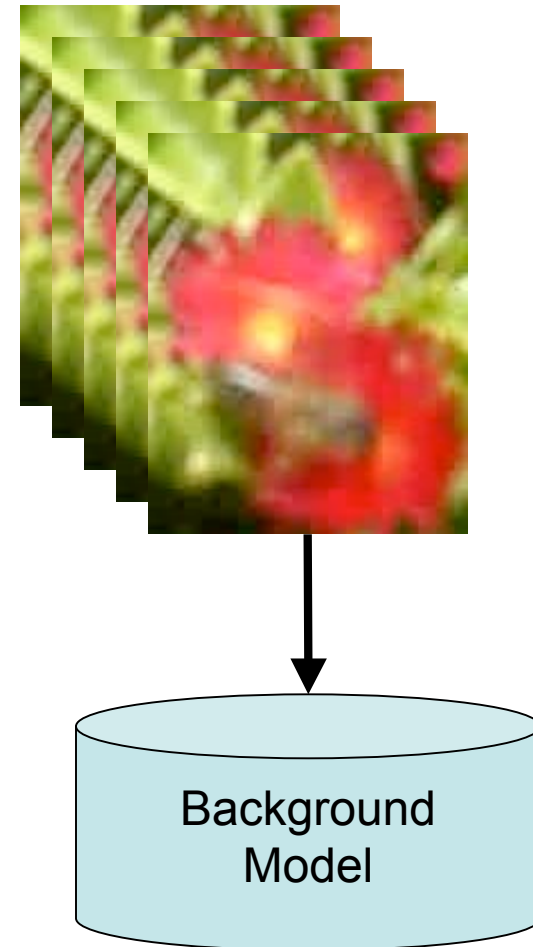
# Application: Tracking Pollinators

- Step 2: “Learn” what the background looks like

Build a density estimate of color values:

$$p_{ij}(x) = \frac{1}{|S|} \sum_{s \in S} \delta(s - x)$$

$$S = \{x_t(a, b) \mid |a - i| < c, |b - j| < c, 0 \leq t < T\}$$





# Application: Tracking Pollinators

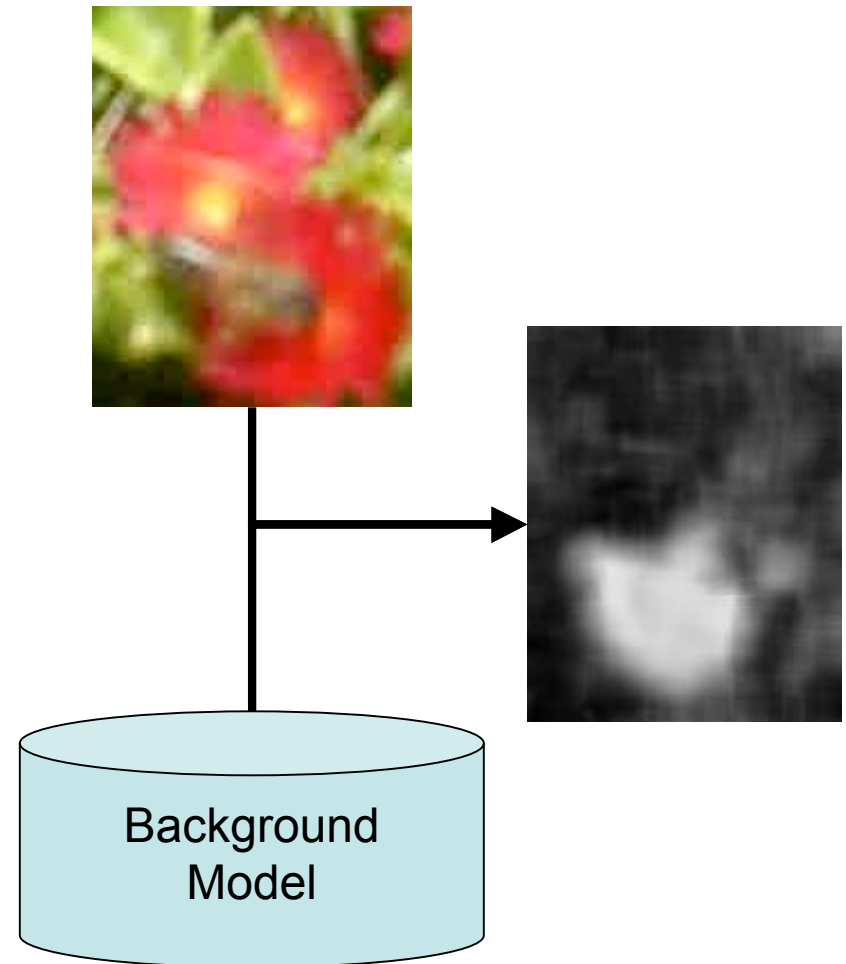
- Step 3a: Subtract the background

Compute the distance between a new image and the background model.

$$BC(p, q) = \sum_{x \in X} \sqrt{p(x)q(x)}$$

$$D_B(p, q) = -\ln(BC(p, q))$$

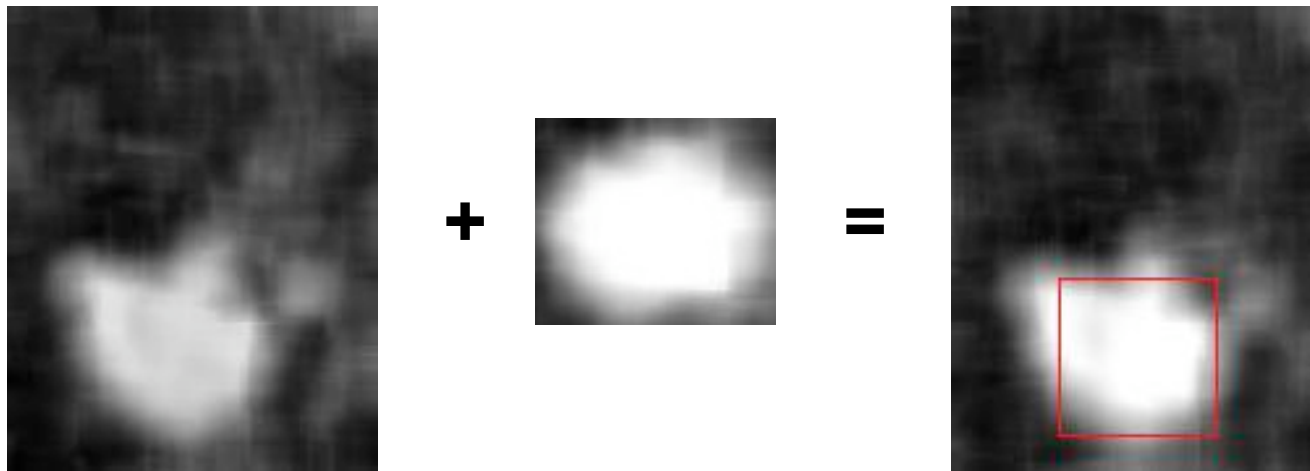
Produces a difference image





## Application: Tracking Pollinators

- Step 3b: Reapply template matching to detect target



# Application: Tracking Pollinators

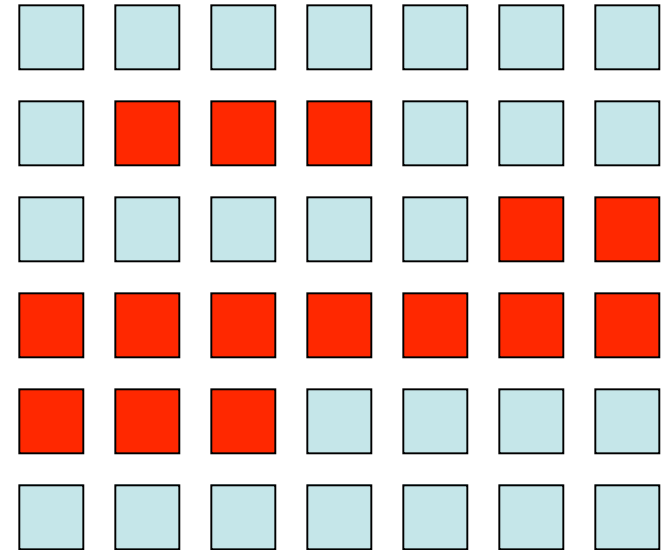
- Step 4: Look for sequential frames containing the target

$$R(x, y) = \frac{\sum_{x', y'} (T(x', y') - I(x + x', y + y'))^2}{\sqrt{\sum_{x', y'} T(x', y')^2 \cdot \sum_{x', y'} I(x + x', y + y')^2}}$$

$$\text{match}(S_i) = \text{argmin}(x_i, y_i) R(x_i, y_i)$$

Constraints for a sequence S:

- $\max(\text{match}(S_i)) < M_1$
- $\text{mean}(\text{match}(S_i)) < M_2$
- $\max(\text{dist}(S_i, S_j)) < D_1$
- $\text{mean}(\text{dist}(S_i, S_j)) < D_2$





CENTER FOR EMBEDDED NETWORKED SENSING

# Questions?